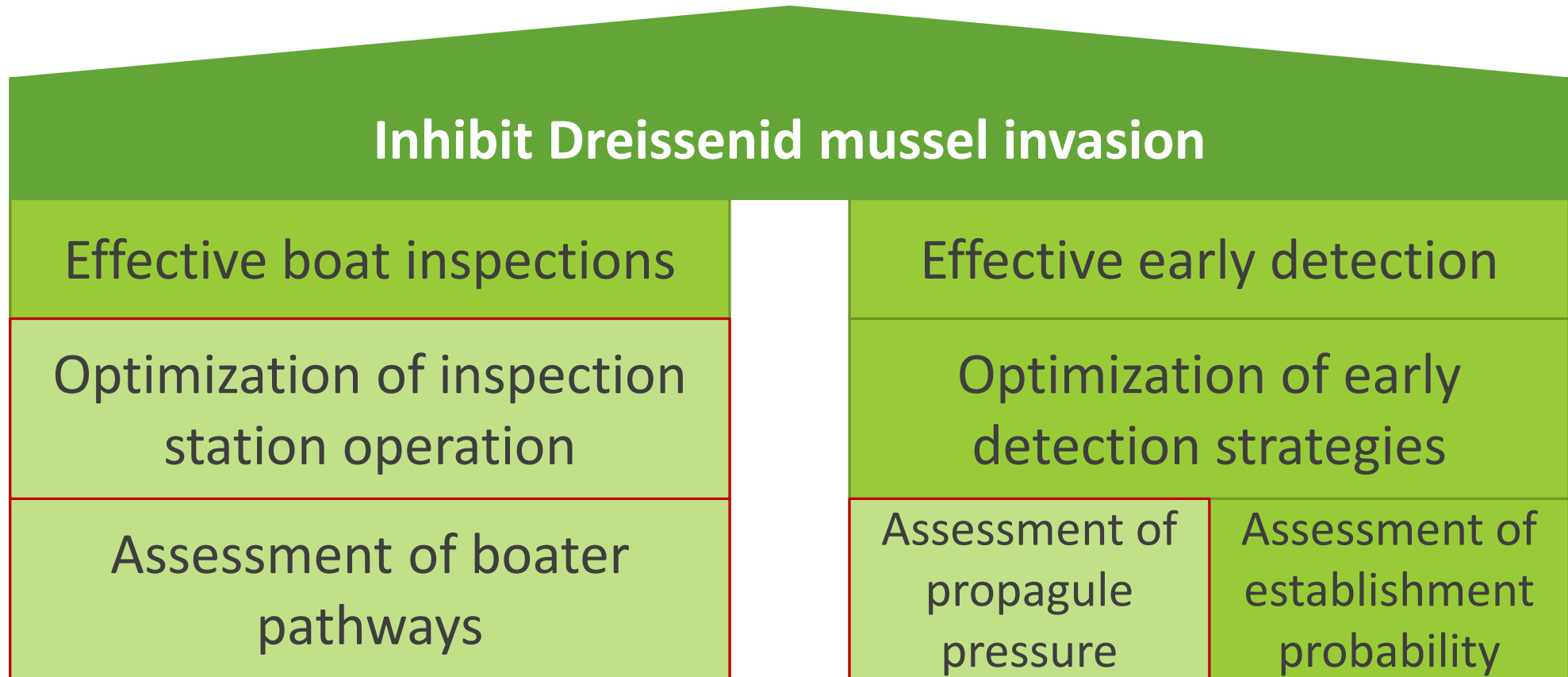


Using Watercraft Inspection Data to Improve Aquatic Invasive Species Management

SAMUEL FISCHER, MARTINA BECK, MATTHIAS HERBORG, MARK LEWIS

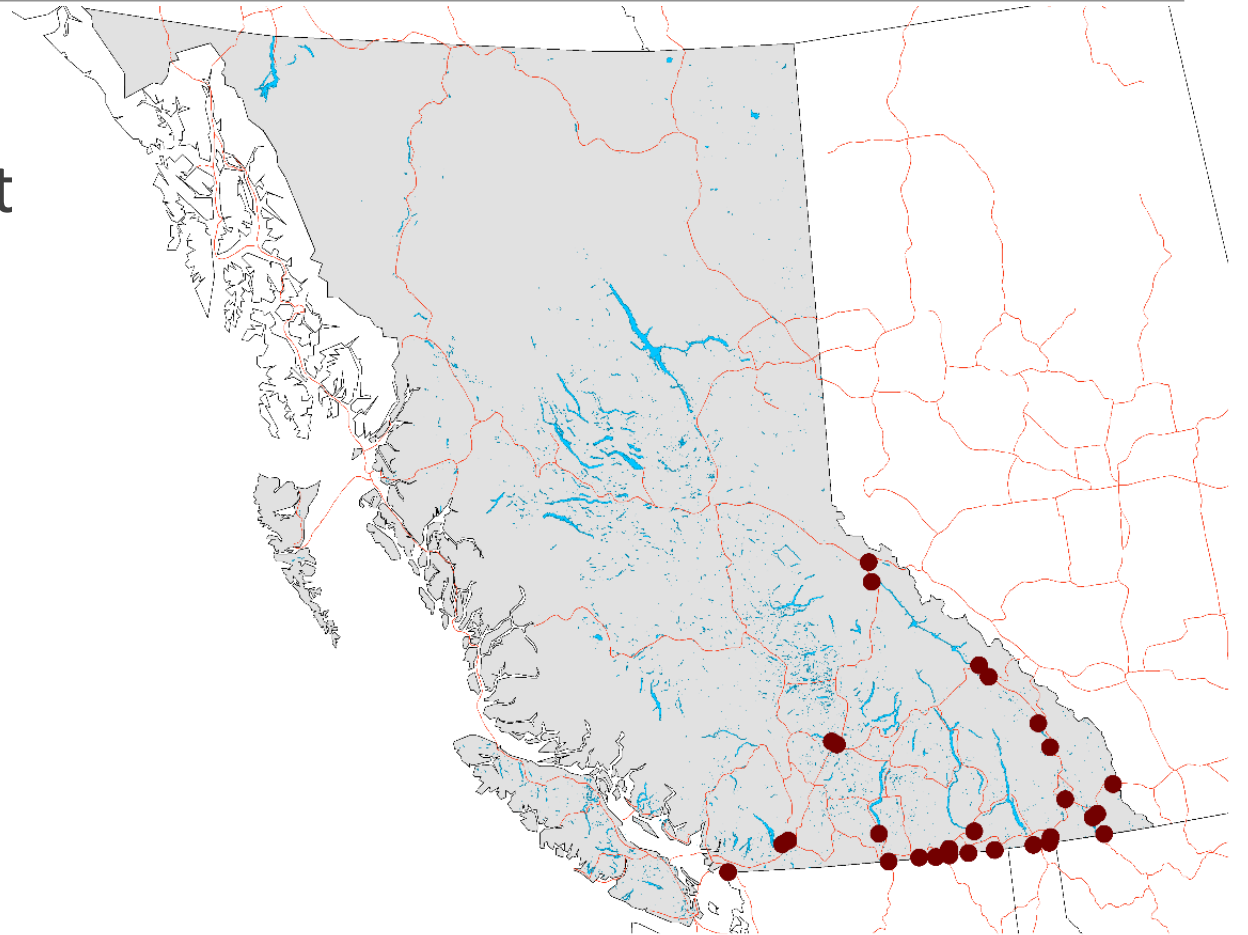
A solid green horizontal bar at the bottom of the slide.

Motivation



Available Data

- Survey data from watercraft inspection stations
- Further data on lakes, provinces and states



Fraction of the full flow

Fraction of the full day

Available Data

Inspection location	Shift start time	Shift End time	Observation time	From jurisdiction	To lake	Boat type
Golden	8 AM	2 PM	10:31 AM	Calgary	Lake Okanagan	Canoe
			12:10 PM	Edmonton	Shuswap Lake	Car Topper
			1:44 PM	Ontario	Shuswap Lake	Cabin Cruiser
Laidlaw	12 PM	6 PM	12:42 PM	Seattle	Lake Okanagan	Wakeboard
			3:28 PM	California	Christina Lake	Bassboat

Different day-times

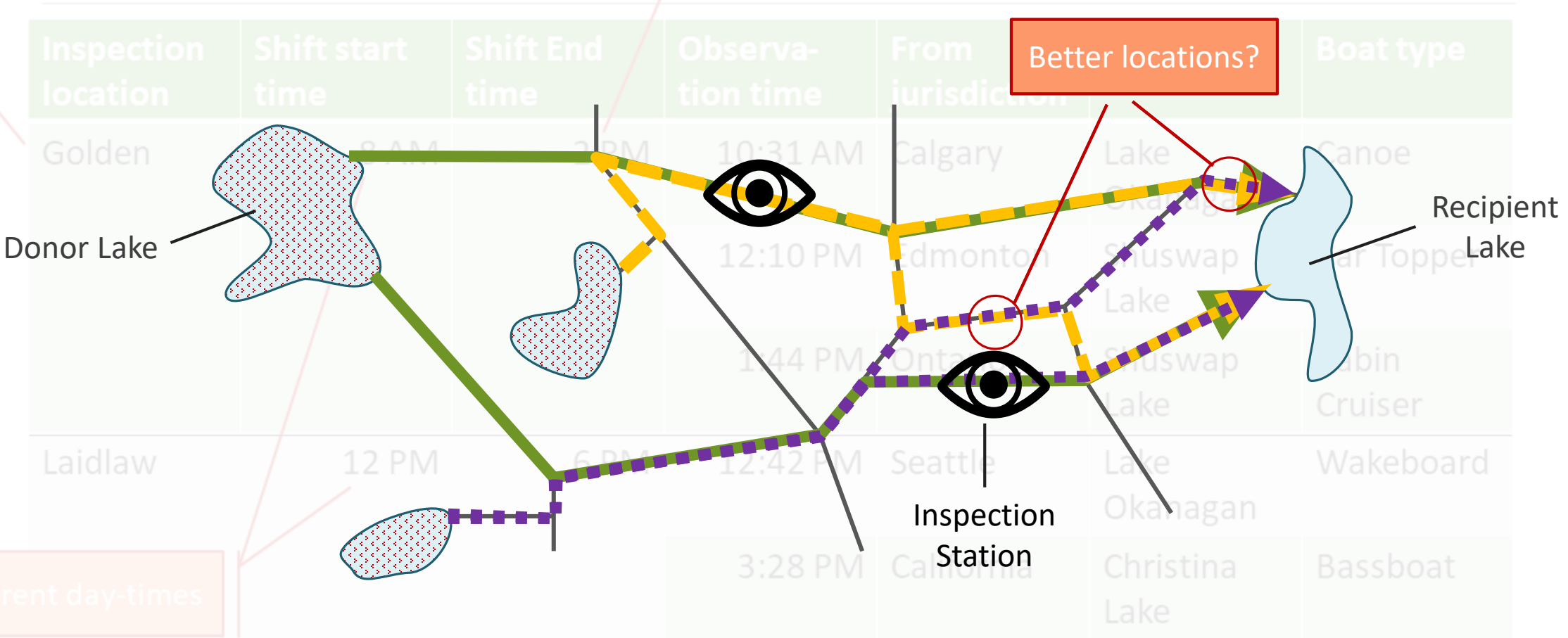
Available Data

Fraction of the full flow

Fraction of the full day

Different day-times

Better locations?

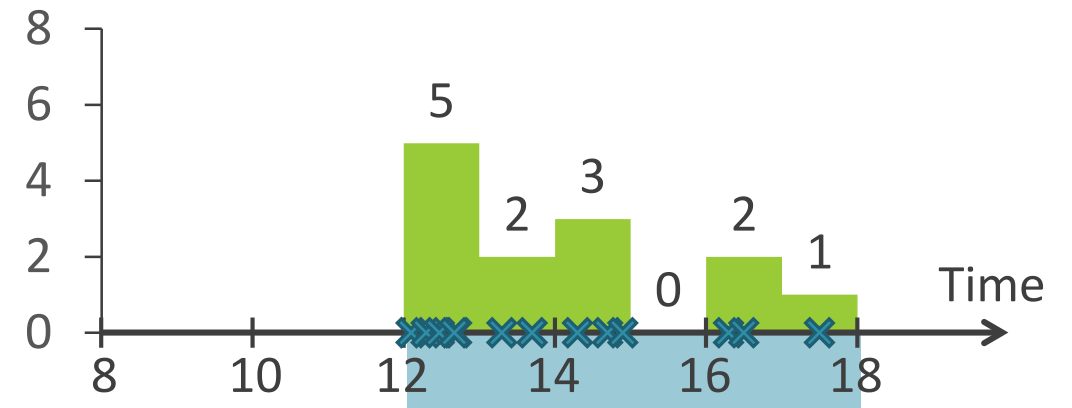
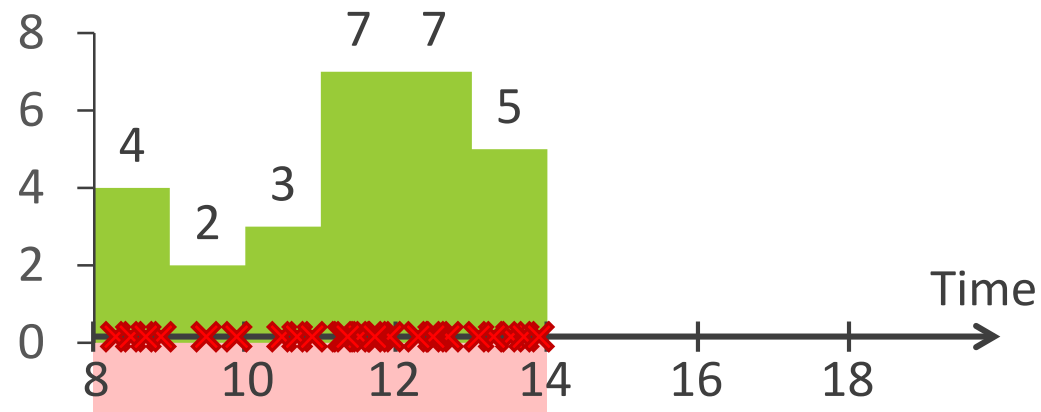


Challenges

1. Extrapolate part-day observations on full day
 - o Need temporal traffic distribution
2. Extrapolate boater flow along single road to full boater flow;
Estimate traffic at untested locations

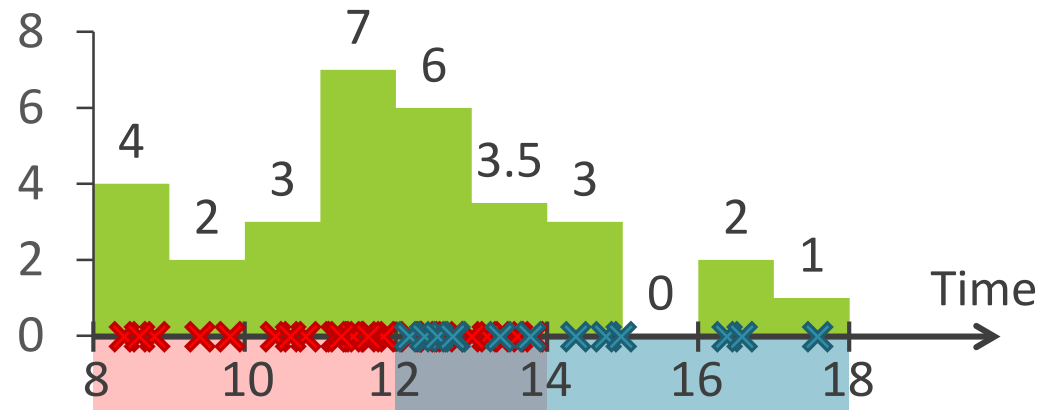
Daily Traffic Distribution

Histogram approach

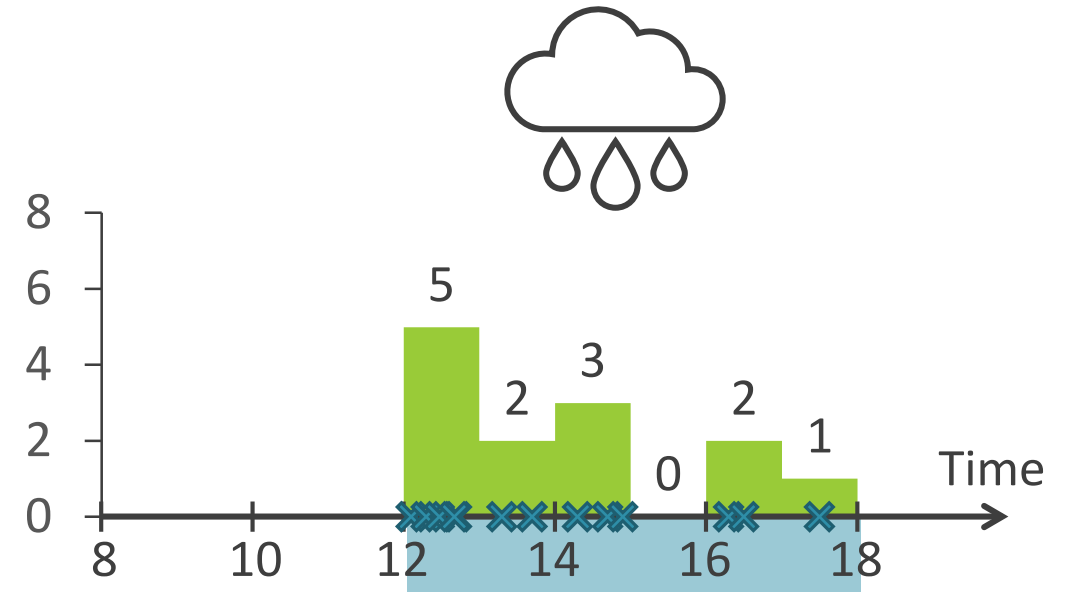
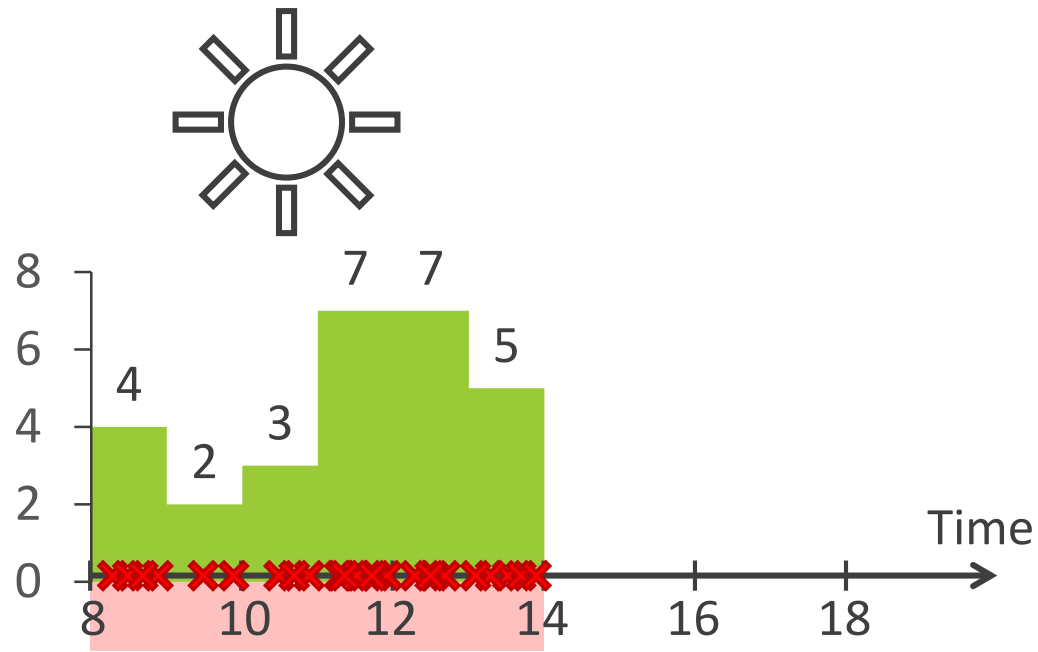


Daily Traffic Distribution

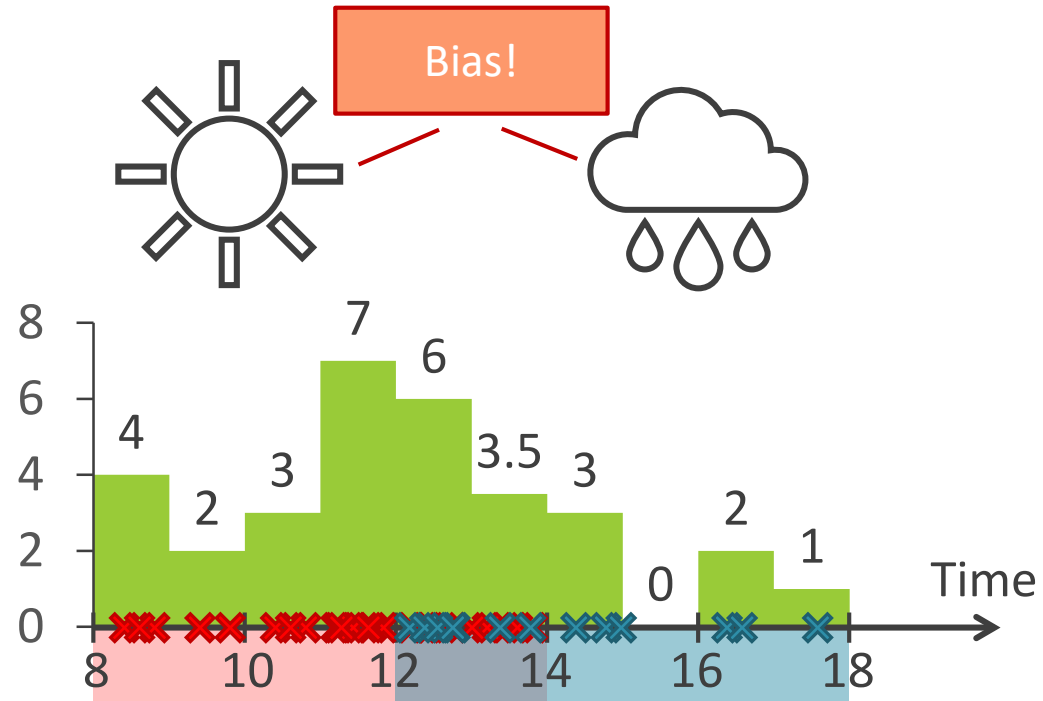
Histogram approach



Daily Traffic Distribution

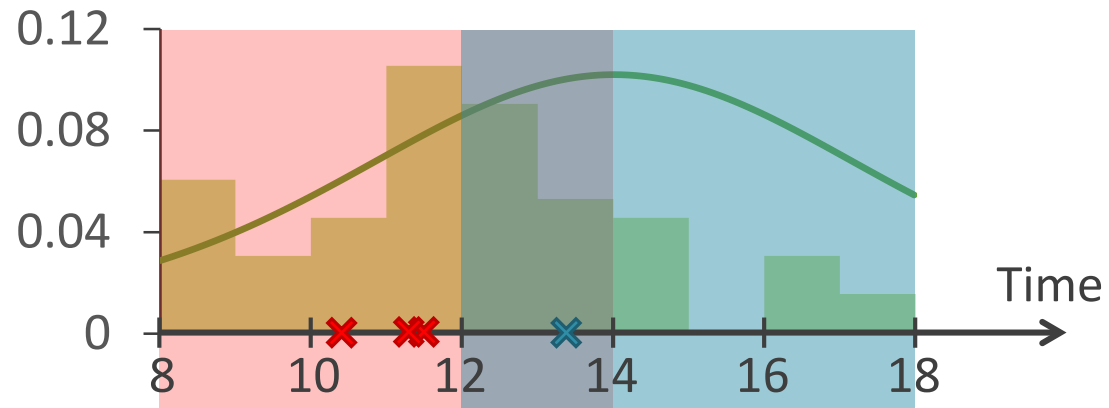
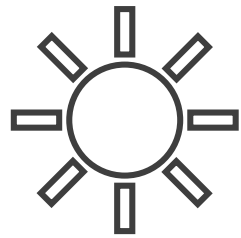


Daily Traffic Distribution



Daily Traffic Distribution

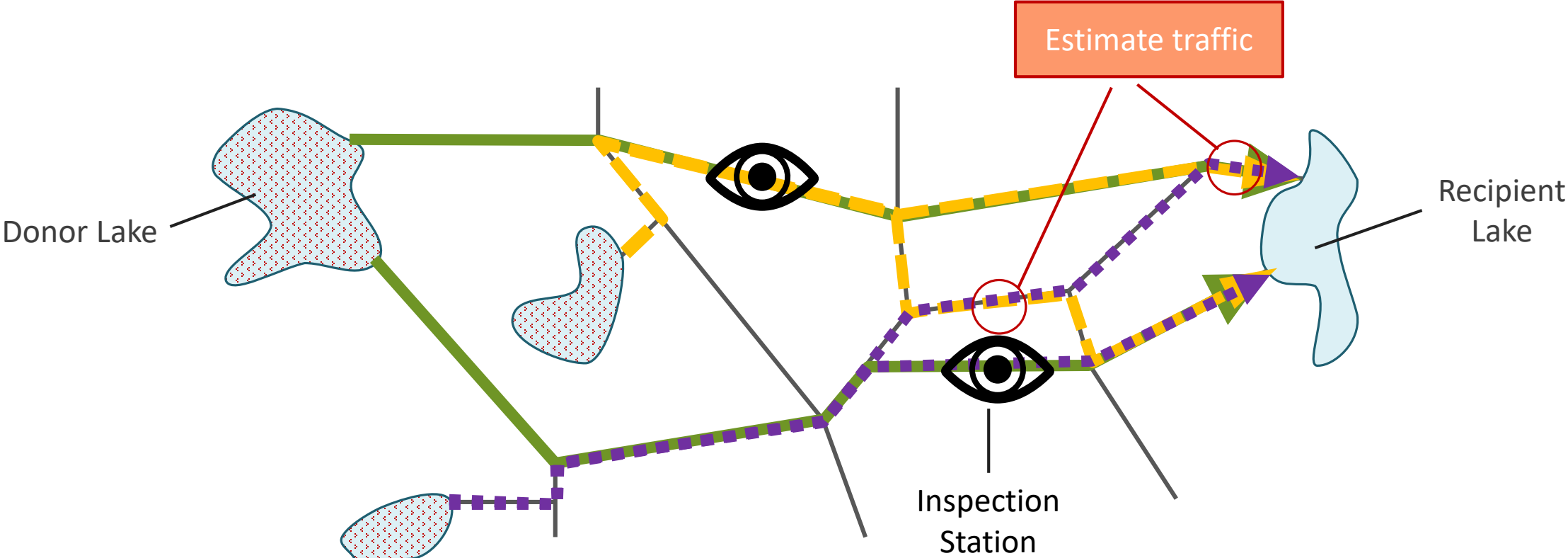
Probabilistic approach



Challenges

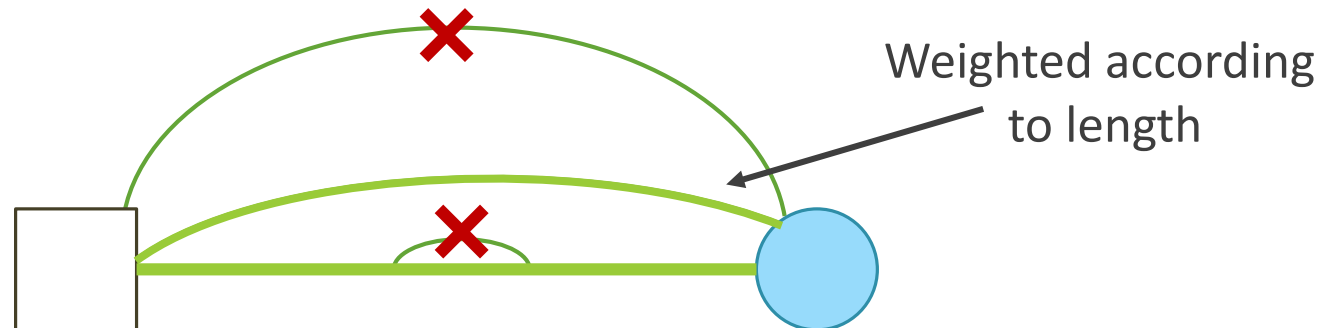
1. Extrapolate part-day observations on full day
 - Need temporal traffic distribution
2. Extrapolate boater flow along single road to full boater flow; Estimate traffic at untested locations
 - Need road choice model

Route Model

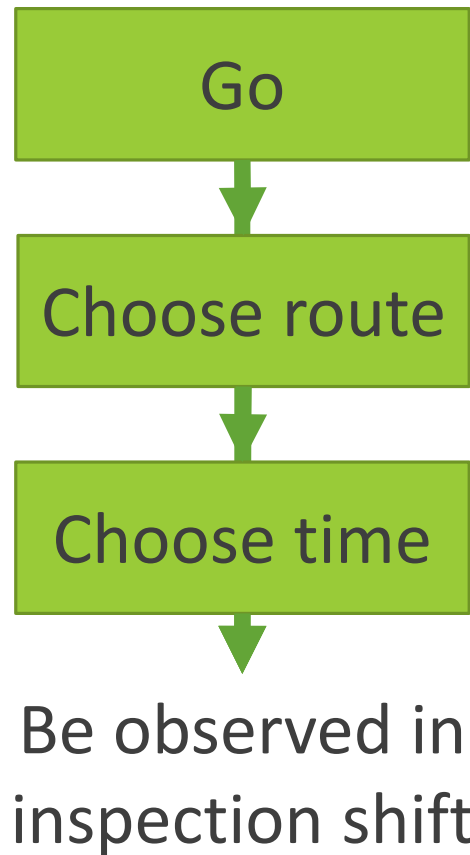


Route Model

- Assumption: Most boaters travel on routes that “make sense”
Rest: “randomly”
- Routes that “make sense”:
 - Not much longer than shortest route
 - Locally optimal



Hierarchical Process



6 boaters go from A to B

4 out of 6 boaters choose route via our inspection location

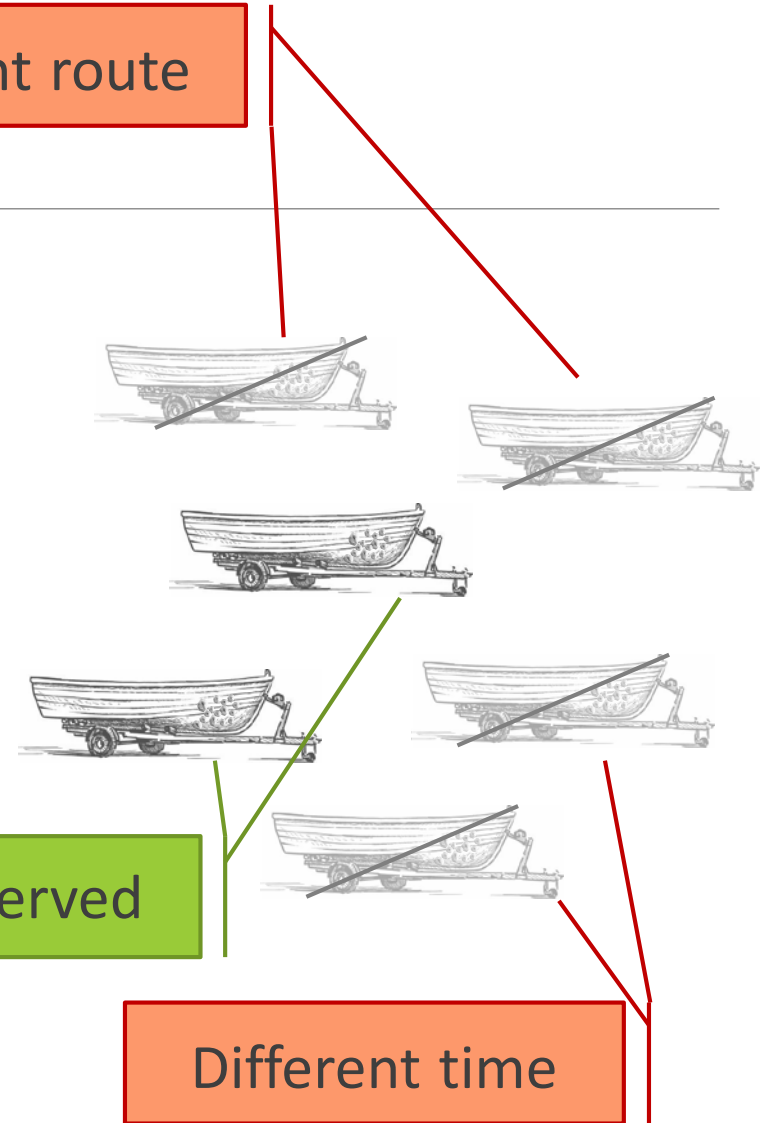
2 out of 4 boaters pass during inspection shift

2 boaters are observed

Different route

Observed

Different time



Hierarchical Process

Go



Choose route



Choose time



Be observed in inspection shift

Gravity model



Route model



Time model

N boaters go from A to B

M out of N boaters choose route via our inspection location

L out of M boaters pass during inspection shift

L boaters are observed

Stochastic Gravity Model

- Goal: Estimate traffic from each donor to each recipient
- Assumption: Number of travelling boaters randomly distributed
- Mean flow: Given by a “gravity model”
 - $mean_flow_{ij} = c \frac{\#boaters_i \cdot attractivity_j}{distance_{ij}^\gamma}$
 - i : Infested jurisdiction
 - j : Lake
 - c, γ : Constants

Hierarchical Process

Go



Choose route



Choose time



Be observed in inspection shift

Gravity model



Route model



Time model



Estimates / Data

N boaters go from A to B

M out of N boaters choose route via our inspection location

L out of M boaters pass during inspection shift

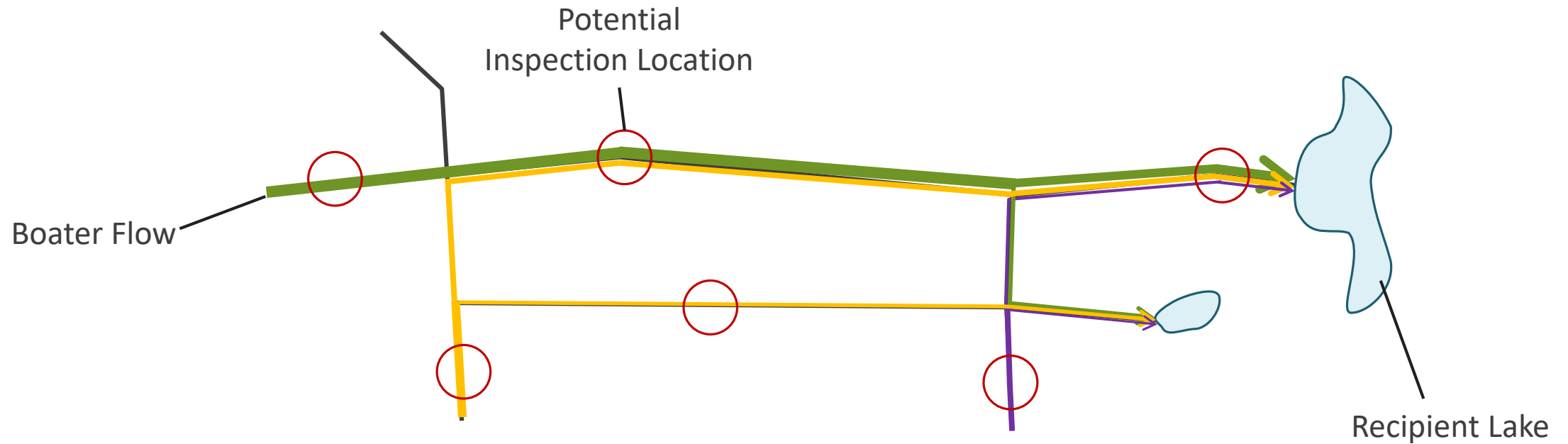
L boaters are observed

Can be fitted to different boat types

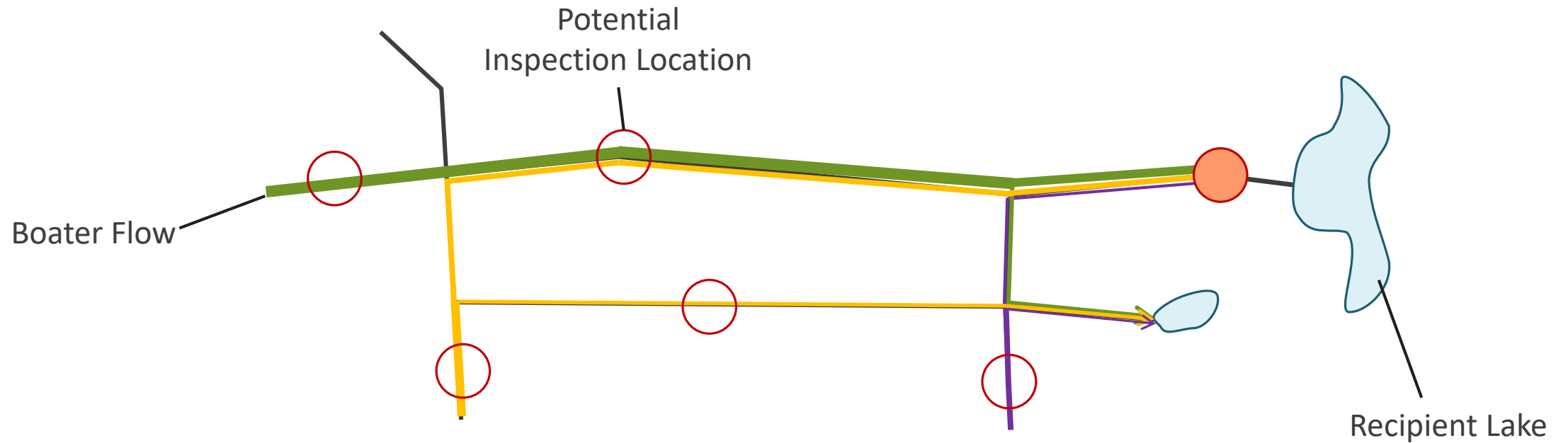
Results

- Our results are still under review and therefore not available to the public at this time. Thank you for your understanding.

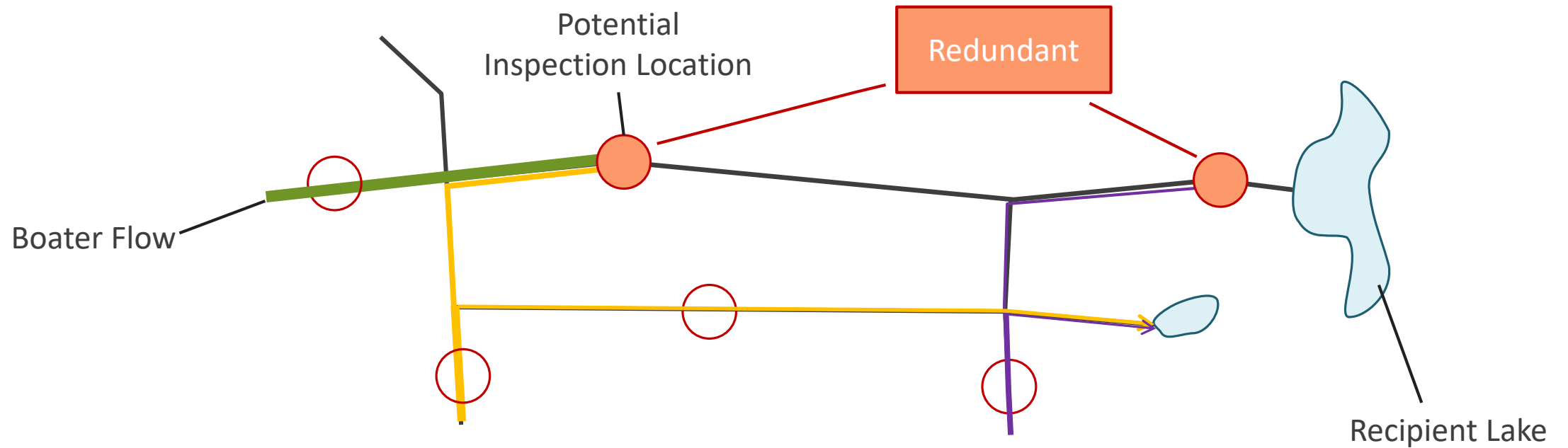
Optimizing Inspection Station Placement



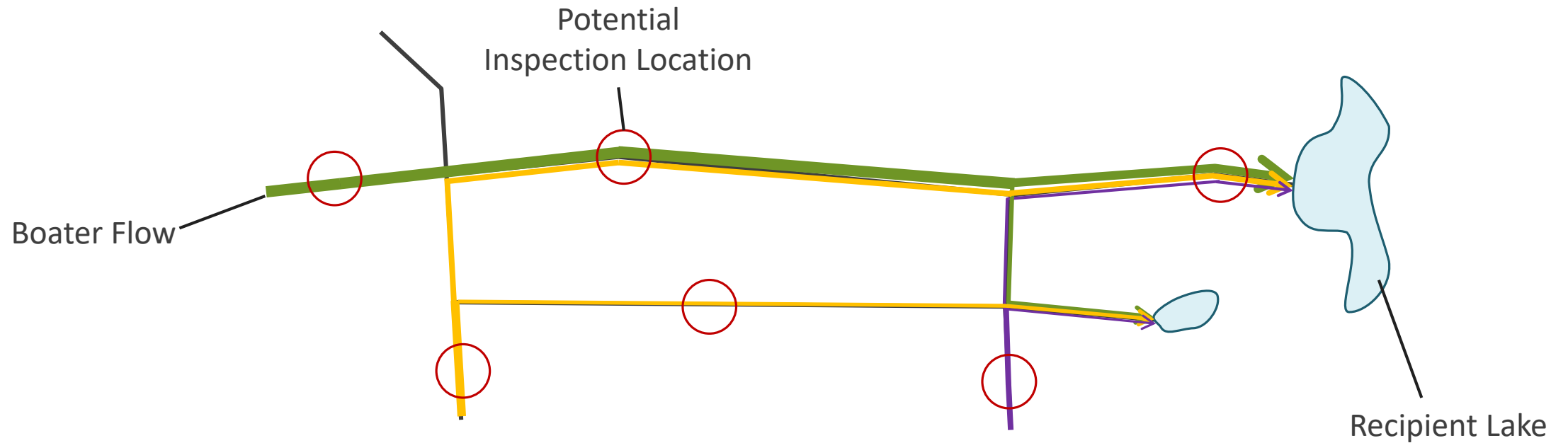
Optimizing Inspection Station Placement



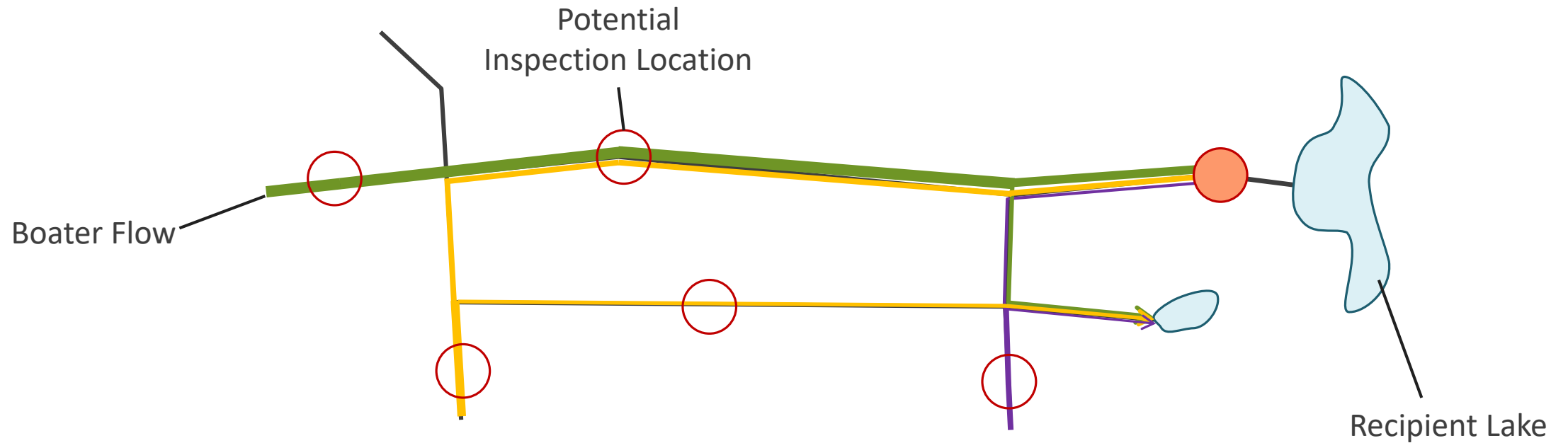
Optimizing Inspection Station Placement



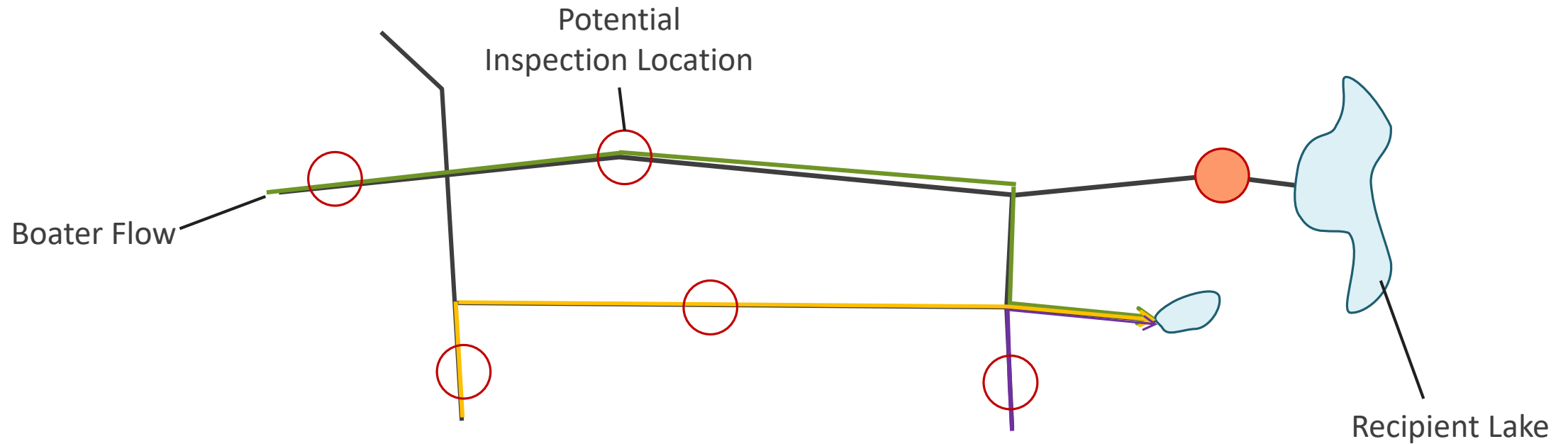
Optimizing Inspection Station Placement



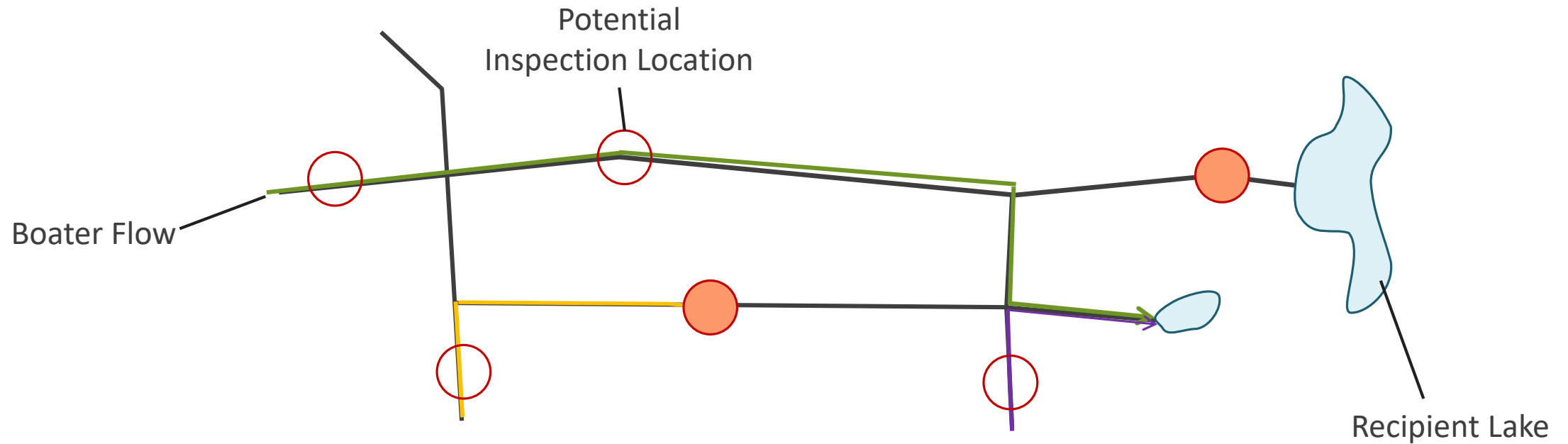
Optimizing Inspection Station Placement



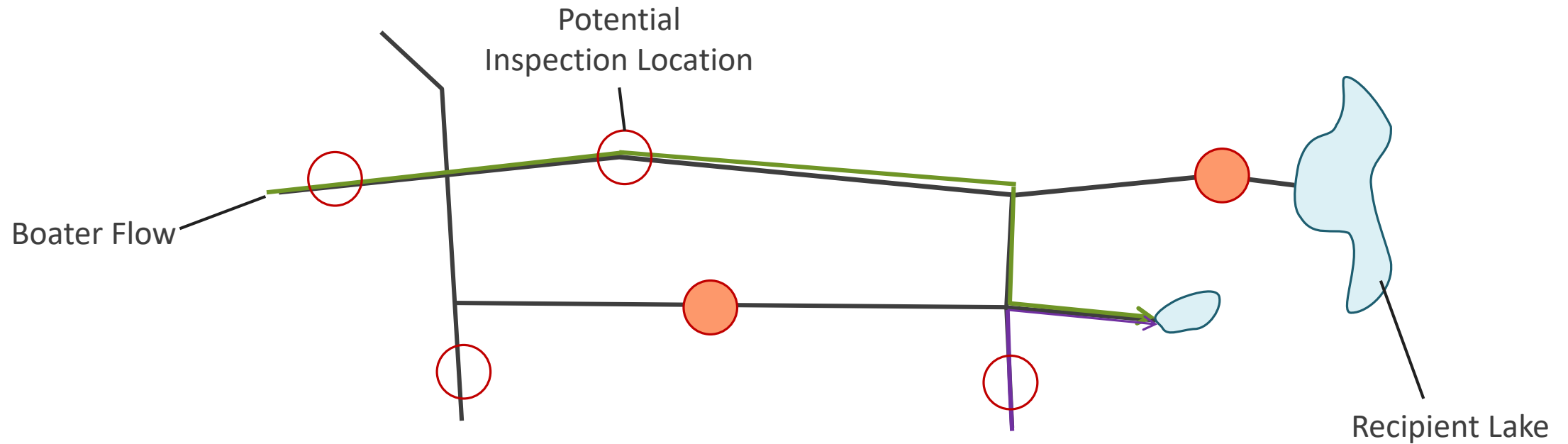
Optimizing Inspection Station Placement



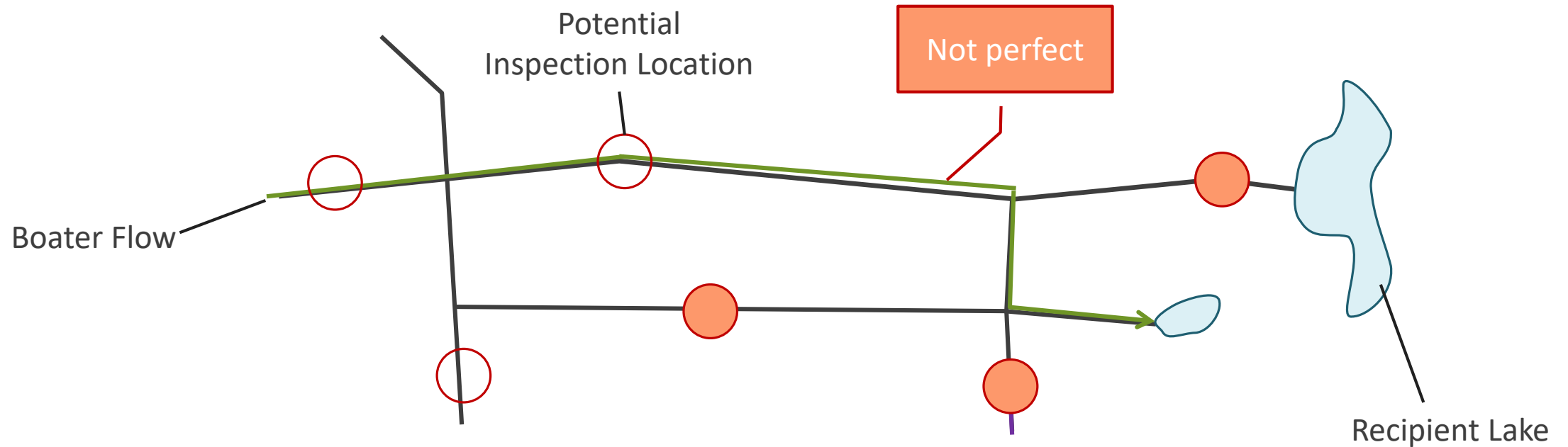
Optimizing Inspection Station Placement



Optimizing Inspection Station Placement

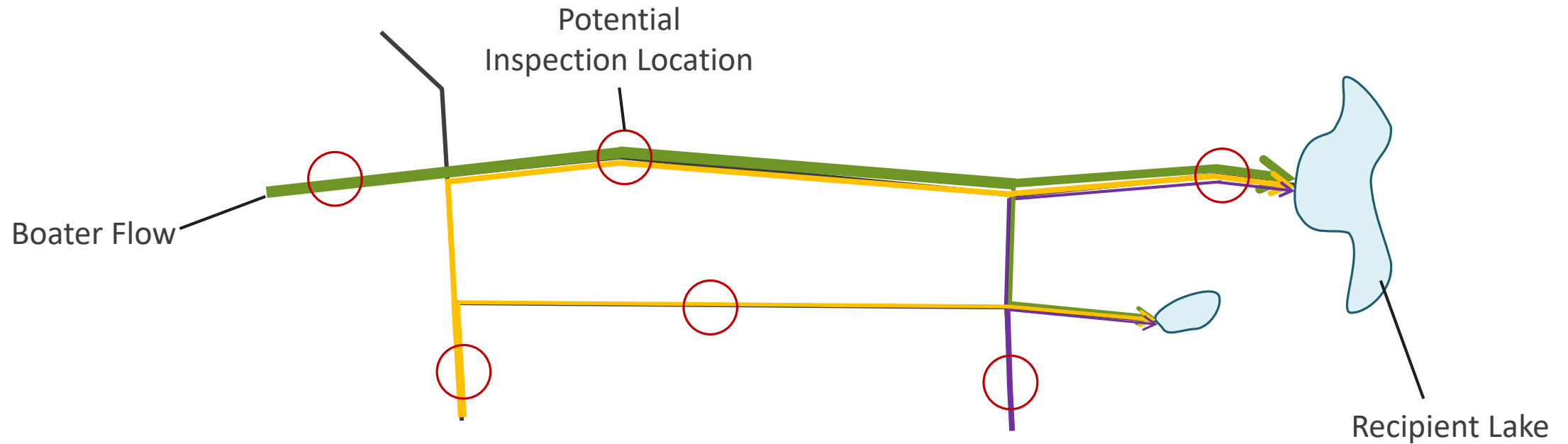


Optimizing Inspection Station Placement

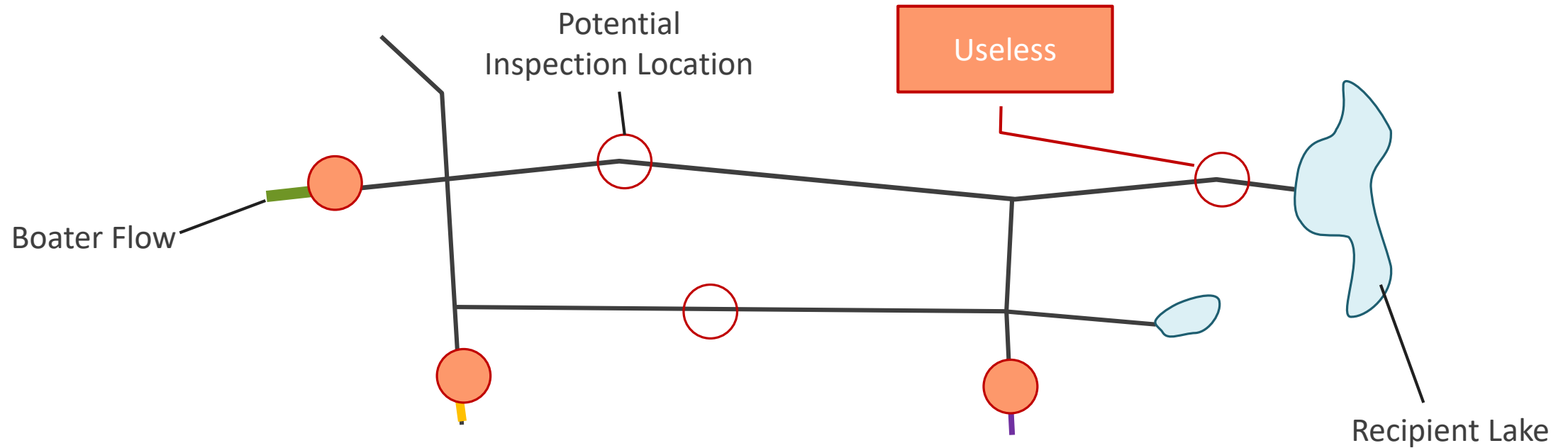


Note: Step requires route model!

Optimizing Inspection Station Placement



Optimizing Inspection Station Placement



Linear programming with rounding

Results

- Our results are still under review and therefore not available to the public at this time. Thank you for your understanding.

Extension: Optimizing Operating Times

Constraints:

- Sum of costs for
 - operated locations
 - operated shiftsis below the budget constraint
- Stations are operated in shifts of given lengths

Extension: Optimizing Operating Times

Main idea:

- Solve inspection station placement problem for multiple time intervals

Results:

- Not presentable yet

Discussion

- The presented approach gives valuable information on
 - When and where to operate inspection stations
 - Invasion risk (propagule inflow)
 - Scenarios of interest
- Results should be combined with sanity and reason
- More details can be included

Acknowledgements

- Collaborators in presented research:
 - Martina Beck
 - Matthias Herborg
 - Mark Lewis
- Funding sources for presented research:



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